

國立臺北科技大學 101 學年第二學期

電機系博士班資格考試試題範本說明

- 一. 本系博士班資格考試試題為 A4 格式之版面。
- 二. 提供之試題範本自第 1 頁起提供 A4 格式之版面共 4 頁，若有不足請自行加頁。
- 三. 本範本以 Office 之 Word 文書應用軟體製作，命題委員至少須輸入之資料共四項，各項簡要說明如下：(前三項請依範本上之原字型與字型大小輸入，**前一項已代為執行合併列印套稿，請確認組別名稱與考試科目**。謝謝您！)

(一) **【考試科目名稱】** ⇒ [依所附檔案內**考試科目名稱**完整輸入取代]

(一) ⇒ [請依試題**題數**輸入取代並增加**必要之配分**與**各項特殊規定**]

注意事項：

1. 本試題共 **【5】** 題，配分共 100 分。
2. 請按順序標明題號作答，不必抄題。
3. 全部答案均須答在試卷答案欄內，否則不予計分。
4. 考試時間：一小時。

(三)

試題本文 ⇒ [請輸入**題號**與**試題內容**並完成排版與列印]

範本版面說明

試題本文之外方格線，係以單格表格並以隱藏格線方式設計，請在格線內命題，不要超出格線外；若有圖片，亦請於列印後黏貼於規劃版面內。謝謝！

- 四. 命題版面達 A4 共 2 頁(含)以上時，請修改範本第 1 頁之 **第一頁 共一頁** 為 **第一頁 共一頁**；若頁數更多，請類推修改增加之。
- 五. 本範本檔案及考試科目名稱檔案，將由本系以隨身碟提供命題委員，請命題委員在規劃版面內命題，**並以 A4 紙張列印出試題繳交，隨身碟亦請交給本系**。本系將直接列印後隨即製版，不再作其他處理，若有圖片請自行黏貼於妥當之版面位置。

國立臺北科技大學

101 學年第二學期電機系博士班資格考試

模糊控制 試題

第一頁 共二頁

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注意事項：

1. 本試題共【5】題，配分共 100 分。
2. 請按順序標明題號作答，不必抄題。
3. 全部答案均須答在試卷答案欄內，否則不予計分。
4. 考試時間：二小時。
5. 不准使用任何形式之計算器。

1. Suppose that a fuzzy subset A is defined by $A = \frac{1}{a} + \frac{0.6}{b} + \frac{0.4}{c} + \frac{0.2}{d}$. (a) What is the core

of A ? (b) Find α -level set (or α -cut) of A when $\alpha=0.3$ and $\alpha=0.8$. (c) How to reconstruct the fuzzy subset of A from the α -level sets? (10 分)

2. Suppose that the process in Fig. 1 is modeled by a second-order dynamic TSK fuzzy system that is constructed from the following two rules:

L^1 : IF $x(k)$ is A_1^1 and $x(k-1)$ is A_2^1 and $u(k)$ is B^1 ,

THEN $x^1(k+1) = 1.5x(k) + 2.1x(k-1) - u(k)$.

L^2 : IF $x(k)$ is A_1^2 and $x(k-1)$ is A_2^2 and $u(k)$ is B^2 ,

THEN $x^2(k+1) = 0.3x(k) - 3.4x(k-1) + 0.5u(k)$.

And that the controller in Fig. 1 is a TSK fuzzy system constructed from the following two rules:

R^1 : IF $x(k)$ is C_1^1 and $x(k-1)$ is C_2^1 , THEN $u^1(k) = k_1^1x(k) + k_2^1x(k-1)$.

R^2 : IF $x(k)$ is C_1^2 and $x(k-1)$ is C_2^2 , THEN $u^2(k) = k_1^2x(k) + k_2^2x(k-1)$.

Design a closed-loop fuzzy control system from the dynamic TSK fuzzy system. (25 分)

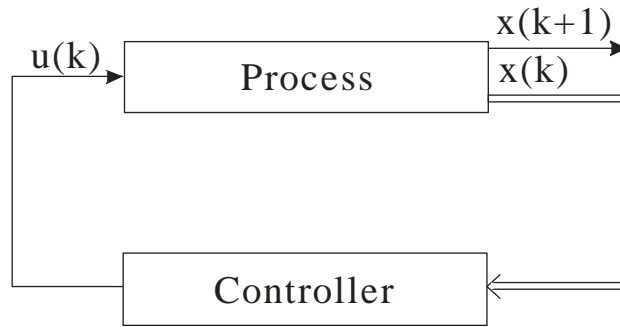


Fig. 1. Fuzzy control of fuzzy system model.

3. Suppose you are given 1,000 data (each is a 3-D datum, i.e., $[x_i \ y_i \ z_i]^t$, $i=1,2,\dots,1000$.) to be clustered into 5 clusters. (a) How to use the fuzzy c-means algorithm to cluster the given data. (b) How to apply the cluster centroids to establish the initial membership functions and the fuzzy rules of clusters? (25 分)
4. Design a fuzzy system $f(x)$ to uniformly approximate the continuous function $g(x) = \sin(x)$ defined on $U=[-3,3]$ (universe of discourse) with a required accuracy of $\varepsilon=0.2$, that is, $\sup_{x \in U} |g(x) - f(x)| < \varepsilon$. (20 分)

5. Assuming there are only two rules in a fuzzy rule base:

Rule 1: If X is A_1 and Y is B_1 , then Z is C_1 ,

Rule 2: If X is A_2 and Y is B_2 , then Z is C_2 .

Also assuming $x_0=4$ and $y_0=8$ are sensor readings for input variables X and Y , respectively.

- (a) Determine the antecedent firing strength of each rule and find the defuzzified output based on the following membership functions. (b) If the consequent parts of rule 1 and rule 2 become $Z=0.3(X+Y)$ and $Z=0.4X+0.3Y+2$, respectively. Find the defuzzified output and compare it with the results derived in part (a). (20 分)

$$\mu_{A1} = \begin{cases} \frac{x-2}{3}, & 2 \leq x \leq 5 \\ \frac{8-x}{3}, & 5 < x \leq 8 \end{cases} \quad \mu_{A2} = \begin{cases} \frac{x-3}{3}, & 3 \leq x \leq 6 \\ \frac{9-x}{3}, & 6 < x \leq 9 \end{cases}$$

$$\mu_{B1} = \begin{cases} \frac{y-5}{3}, & 5 \leq y \leq 8 \\ \frac{11-y}{3}, & 8 < y \leq 11 \end{cases} \quad \mu_{B2} = \begin{cases} \frac{y-4}{3}, & 4 \leq y \leq 7 \\ \frac{10-y}{3}, & 7 < y \leq 10 \end{cases}$$

$$\mu_{C1} = \begin{cases} \frac{z-1}{3}, & 1 \leq z \leq 4 \\ \frac{7-z}{3}, & 4 < z \leq 7 \end{cases} \quad \mu_{C2} = \begin{cases} \frac{z-3}{3}, & 3 \leq z \leq 6 \\ \frac{9-z}{3}, & 6 < z \leq 9 \end{cases}$$